

Q1. $(8, 8, 3)$

Q2. $\{000|0|0|, 0|100|0|, |0|0|0|0\}$

Q3. None of these

Q4. LBD

Q5. 2

Q6. equally likely

Q7. 6

Q8. Exist $\{11100, 10011, 01011, 00110\}$

Q9.

Since $2m = |V| \cdot r$, where $|V|$ is the number of vertex.

Since r is odd, ~~we~~ we have $m = \frac{|V|}{2} r$, where $\frac{|V|}{2}$ is an integer

So $r|m$

Q10 for each point, we draw a circle of radius 1.



since the triangle formed by the centre of circle has an angle

We can have at most six circle around one circle

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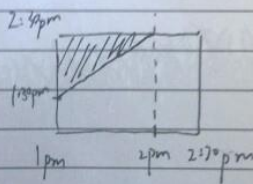
since the triangle formed by the centre of circle has an angle greater than $\frac{\pi}{3}$

We can have at most six circle around one circle

Sum up such pairs intervals of each point, each pair counted twice,

$$\frac{1}{2} \sum_{i=1}^n \text{number of circle around } i \leq \frac{1}{2} \sum_{i=1}^n 6 = 3n, \text{ at most } 3n \text{ pairs.}$$

Q.11. Suppose Martha arrive at time t , George at t'
 $t' \geq t + 30 \text{ min}$, is the area we want



$$Pr(A) = \frac{\text{area of shadow}}{\text{area of rectangle}} = \frac{1}{2} \times \frac{2}{3} \times \frac{2}{3} = \frac{2}{9}$$

